

Helping your children choose books they will love



Lovereading4kids.co.uk is a book website  
created for parents and children to make  
choosing books easy and fun

opening extract from

# **Oxford Study Mathematics Dictionary**

written by

**Frank Tapson**

published by

**Oxford University Press**

All Text is Copyright © of the Author and/or Illustrator

please print off and read at your leisure.

L♥vreading .co.uk

The "4kids" part of the logo consists of the number "4" in green, "k" in orange, "i" in blue, and "d" in red, all in a stylized, lowercase font.

**mutually exclusive events** are sets of **events** or **outcomes** for which the happening of one of them means that none of the others can happen.

*Example: When rolling a die the outcomes are mutually exclusive, since when one number comes to the top it must mean that none of the others can.*

**independent events** Two or more **events** or **outcomes** are independent if the happening of one of them has no effect on the other.

*Example: When two dice are rolled there are two independent outcomes, since the number showing on one does not influence the number on the other.*

**dependent events** Two **events** or **outcomes** are dependent if a statement or probability for one of them affects a statement or probability for the other.

*Example: One box holds 4 red and 6 black marbles; another holds 1 red and 9 black marbles. The probability of choosing a red marble from one box must depend on which box is chosen.*

**combined events** describe the putting together of two or more separate **events** or **outcomes** to be considered as one single event or outcome. This is usually done in order to find the probability of a final single outcome. The separate outcomes might be independent of, or dependent upon, each other.

*Examples: Rolling 2 dice (or 1 die twice) and adding the separate scores is combining 2 independent outcomes. Taking 2 counters from a bag of mixed colours WITHOUT replacing the first is combining 2 dependent outcomes.*

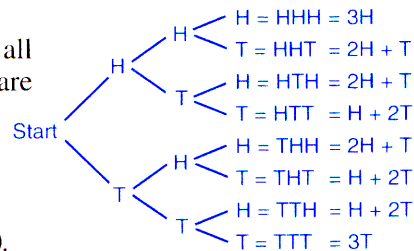
**compound events**  $\equiv$  **combined events**

**conditional probability** is the **probability** of an **outcome** happening when it is **dependent** upon, or following, some other outcome.

*Example: A bag contains 8 red and 2 black counters. The probability of drawing 2 red counters, if the first drawn is not replaced, is given by the probability of the first counter being red times the probability of the second being red, which is  $\frac{8}{10} \times \frac{7}{9} = \frac{28}{45}$*

**tree diagrams** are drawn to find and display all possible results when several outcomes are being combined.

*Example: When 3 coins are tossed all possible results can be found and displayed by using a tree diagram like that on the right (H=Head, T=Tail).*



**odds** are another type of **probability** and the odds against a successful **outcome** happening are given by:

number (of other outcomes in the activity) TO number (of ways outcome can happen)  
*Example: The odds against getting a '3' with a single die are 5 to 1 since there are 5 other numbers and only one '3', so there are 5 ways of losing against only 1 way of winning. The probability of getting a 3 is  $\frac{1}{6}$  or  $\frac{1}{5+1}$*

Odds of  $a$  to  $b$  change to a probability of  $\frac{b}{(a + b)}$

A probability of  $\frac{a}{b}$  changes to odds of  $(b - a)$  to  $a$

**evens** When the **odds** are 1 to 1 they are even. *The probability for evens is  $\frac{1}{2}$*

## pyramids and prisms

**pyramid** A pyramid is a **polyhedron** having any polygon as one face with all the other faces being triangles meeting at a common vertex. *The pyramid is named after the polygon forming the face from which the triangles start.*

**base** The base of a **pyramid** is the polygonal face which names the pyramid.

**apex** The apex of a **pyramid** is the vertex at which the triangular faces meet.

**perpendicular height** The perpendicular height of a **pyramid** is the distance of its **apex** from the plane of its **base**.

$$\text{Volume of pyramid} = \text{Area of base} \times \text{Perpendicular height} \div 3$$

**altitude**  $\equiv$  **perpendicular height**

**vertex** In the case of a **pyramid**, vertex is often used to mean the **apex**.

**right pyramid** A right pyramid is one having all its triangular faces equal in size. *The base is a regular polygon, the apex is perpendicularly above the centre of the base, and all the triangular faces make the same angle with the base.*

**right square-based pyramid** A right square-based pyramid is a **right pyramid** having a square base. *It is what is usually meant when only the word 'pyramid' is used and is the type seen in Egypt as a tomb of the Pharaohs.*

**oblique pyramid** An oblique pyramid is a **NON-right pyramid**.

**slant height** The slant height of a **pyramid** is the length of a perpendicular from the mid-point of a base-edge to the apex. *The slant heights of a right pyramid are all the same length.*

**slant edge** The slant edges of a **pyramid** are all those edges joined to the **apex**. *The slant edges of a right pyramid are all the same length.*

**frustum of a pyramid** A frustum of a pyramid is the part of a **pyramid** cut off between the **base** and a plane which is parallel to the base.

$$\text{Volume of frustum} = (A + B + \sqrt{AB}) \times h \div 3 \text{ where } \begin{array}{l} A, B = \text{areas of top and bottom} \\ \text{faces of frustum} \\ h = \text{distance between faces} \end{array}$$

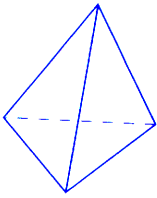
**cross-section** A cross-section of any 3-D shape is the 2-D figure shown when that shape is cut across, in some specified place and direction, by a plane.

**prism** A prism is a **polyhedron** having 2 faces identical and parallel to each other (usually referred to as the 'ends' or 'bases'), and any plane cut made parallel to the ends produces a cross-section the same shape and size as the ends. *All faces, other than the ends, are rectangles or parallelograms. Prisms are named after the shape of the cross-section (if it has a name) as in 'triangular prism' or 'hexagonal prism'. If the other faces are rectangles, it is also referred to as a **right prism**.*

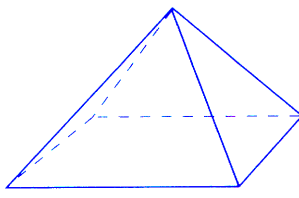
The volume of a *prism* can be found by multiplying the area of one of the end faces by the perpendicular distance between the two ends.

**antiprism** An antiprism is a **polyhedron** that has 2 faces identical and parallel to each other. All the other faces are identical triangles, with each vertex of every triangle touching a vertex of one of the end faces, so that 4 edges meet at every vertex. *Unlike with a prism, its cross-section varies.*

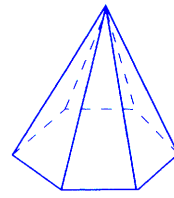
# pyramids and prisms



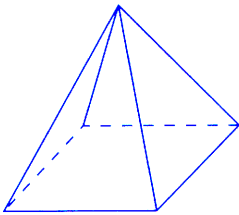
triangle-based pyramid  
≡ tetrahedron



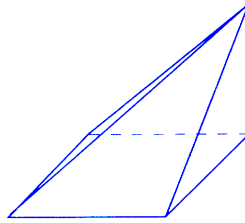
rectangle-based pyramid



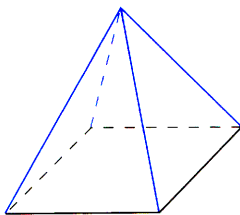
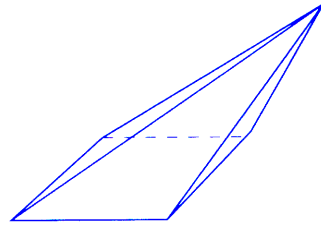
hexagon-based pyramid



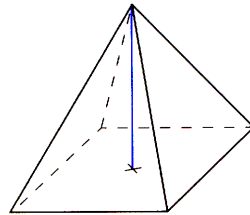
right square-based pyramid



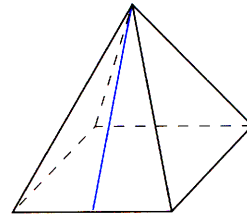
oblique pyramids



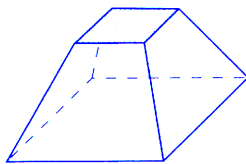
slant edges



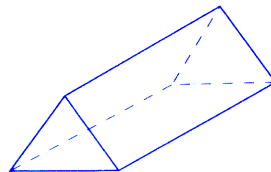
perpendicular height



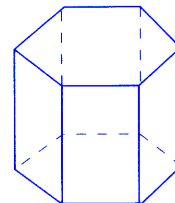
slant height



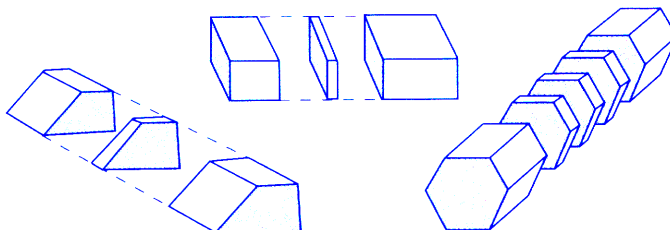
frustum of a right square-based pyramid



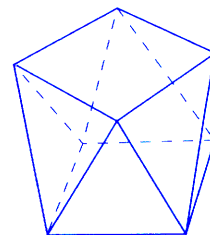
triangular prism



hexagonal prism



some prisms and their cross-sections



square antiprism

## quadrilaterals

**quadrilateral** A quadrilateral is a **polygon** which has 4 edges. *Its 4 interior vertex angles (=corners) add up to 360 degrees.*

**trapezium** A trapezium is a **quadrilateral** with only one pair of parallel edges.

**trapezoid**  $\equiv$  **trapezium** in N. American usage, but in UK usage it is a quadrilateral in which no two opposite edges are parallel.

**isosceles trapezium** An isosceles trapezium is a **trapezium** in which the two opposite edges, which are not parallel, are the same length. *It has one line of symmetry and both diagonals are the same length.*

**parallelogram** A parallelogram is a **quadrilateral** which has two pairs of parallel edges. *It has rotational symmetry of order 2, and its diagonals bisect each other. Usually one pair of edges is longer than the other pair, no interior vertex angle (=corner) is a right angle and it has no lines of symmetry.*

**rhombus** A rhombus is a **quadrilateral** whose edges are all the same length. *Its diagonals bisect each other at right angles and both are also lines of symmetry. Usually no interior vertex angle (=corner) is a right angle and then it is sometimes referred to as a **diamond, lozenge, or rhomb.***

**rhomboid** A rhomboid is a **parallelogram** having adjacent edges of different lengths. *The word is little used because of possible confusion.*

The area of a trapezium, parallelogram or rhombus can be found by adding together the lengths of one pair of parallel edges, dividing by 2, and multiplying this by the perpendicular distance between them.

**rectangle** A rectangle is a **quadrilateral** in which every interior vertex angle (= corner) is a right angle.

**oblong** An oblong is a **rectangle** in which one pair of edges is longer than the other pair. *It has two lines of symmetry and rotational symmetry of order 2. Both diagonals are the same length and bisect each other.*

**square** A square is a **rectangle** whose edges are all the same length. *It has four lines of symmetry and rotational symmetry of order 4. Both diagonals are the same length and bisect each other at right angles.*

**kite** A kite is a **quadrilateral** which has two pairs of adjacent edges (= edges which are next to each other) of the same length, and no interior vertex angle (= corner) is bigger than 180 degrees. *It has one line of symmetry and its diagonals cross each other at right angles.*

**arrowhead** An arrowhead is a **quadrilateral** which has two pairs of adjacent edges of the same length and ONE interior vertex angle (= corner) which is bigger than 180 degrees. *It has one line of symmetry and its diagonals do not cross. It is also known as a **dart or deltoid.***

**regular quadrilateral**  $\equiv$  **square.**

**irregular quadrilateral** Strictly speaking, an irregular quadrilateral is any **quadrilateral** that is not a square, but it is usually taken to be one not having a special name.

**golden rectangle** A golden rectangle is an **oblong** with its two edge-lengths sized in the proportions of the **golden ratio** ( $\approx 1.618 : 1$ ).

Length of longer edge  $\approx 1.618 \times$  length of shorter edge.